

Library Harmonization for Timing

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0.0	11/17/03
0.1	12/12/03
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Template for liberty/ALF xref examples

```
/* liberty */
```

```
/* ALF */
```

1.0 Basic description of timing arcs

1.1 Timing measurements

Timing arcs are defined not only by standalone statements but also by the context in which the statements appear. In both liberty and ALF, a timing arc is defined in the context of a CELL identified by a *Cell Name*. A declaration of each PIN involved in the timing arc is required, referred herein as the *Pin Name* and the *Related Pin Name*.

In liberty, the timing model is further defined inside the declaration of the *Pin Name*. The occurring edge combinations are defined by *Timing Type* and *Timing Sense*.

Some timing data in liberty appear as *timing model*, others appear as a *timing attribute*. A timing attribute supports only a scalar value, whereas a timing model supports a mathematical calculation model. A timing arc description in liberty is shown in Figure 1 on page 2.

FIGURE 1. Timing arc description in liberty

```
/* liberty */
cell (CellName) {
  pin(RelatedPinName) {
    direction :
      RelatedPinDirection;
  }
  pin(PinName) {
    direction : PinDirection;
    timing() {
      timing_type : TimingType;
      timing_sense : TimingSense;
      related_pin : "RelatedPinName";
      /* lib_TimingModel */
      ModelKeyword (CalculationType) { values ( /* lib_Data */ ); }
    }
    /* lib_TimingAttribute */
    AttributeKeyword : AttributeValue ;
  }
}
```

In ALF, pins and timing arcs are declared separately. A timing arc is established by the declaration of a VECTOR, separate from the declaration of each PIN involved in the timing arc. The edge combinations are defined by a *Vector Expression*. A timing arc description in ALF is shown on Figure 2 on page 2.

FIGURE 2. Timing arc description in ALF

```
/* ALF */
CELL CellName {
  PIN RelatedPinName {
    DIRECTION =
      RelatedPinDirection;
  }
  PIN PinName {
    DIRECTION = PinDirection;
  }
  VECTOR (VectorExpression) {
    /* ALF_TimingModel */
    // see Figure 3 on page 4 through Figure 12 on page 12
  }
}
```

The ALF description of a timing model and its mapping to a liberty construct depends on the nature of the timing measurement. The following table shows an overview of measure-

ment and the pointer to the corresponding ALF description and the liberty to ALF mapping table.

TABLE 1. Overview of timing measurements

Measurement	Comment
delay, slew	see Table 2 on page 3, Figure 3 on page 4
delay, retain, slew	see Table 3 on page 5, Figure 4 on page 6
independent setup, hold	see Table 4 on page 6, Figure 5 on page 7
independent recovery, removal	see Table 4 on page 6, Figure 6 on page 8
co-dependent setup, hold	see Table 5 on page 8, Figure 7 on page 9
co-dependent recovery, removal	see Table 5 on page 8, Figure 8 on page 9
setup, hold with nochange constraint	see Table 6 on page 9, Figure 9 on page 10
maximum skew constraint	see Table 7 on page 10, Figure 10 on page 11
minimum period constraint	see Table 8 on page 11, Figure 11 on page 11
minimum pulsewidth constraint	see Table 8 on page 11, Figure 12 on page 12

TABLE 2. Mapping of liberty and ALF constructs for delay and slew measurements

liberty construct			ALF construct PN = Pin Name, RPN = Related Pin Name	
<i>Timing Type</i>	<i>Timing Sense</i>	<i>Model Keyword</i>	<i>Keyword</i>	<i>Vector Expression</i>
combinational	positive_unate	cell_rise	DELAY	01 RPN -> 01 PN
		rise_transition	SLEWRATE	
		cell_fall	DELAY	10 RPN -> 10 PN
		fall_transition	SLEWRATE	
	negative_unate	cell_rise	DELAY	10 RPN -> 01 PN
		rise_transition	SLEWRATE	
		cell_fall	DELAY	01 RPN -> 10 PN
		fall_transition	SLEWRATE	
	non_unate	cell_rise	DELAY	?! RPN -> 01 PN
		rise_transition	SLEWRATE	
		cell_fall	DELAY	?! RPN -> 10 PN
		fall_transition	SLEWRATE	
three_state_enable	positive_unate ?	cell_rise ?	DELAY	01 RPN -> Z1 PN
		cell_fall ?		01 RPN -> Z0 PN
	negative_unate ?	cell_rise ?		10 RPN -> Z1 PN
		cell_fall ?		10 RPN -> Z0 PN

TABLE 2. Mapping of liberty and ALF constructs for delay and slew measurements

liberty construct			ALF construct PN = Pin Name, RPN = Related Pin Name	
<i>Timing Type</i>	<i>Timing Sense</i>	<i>Model Keyword</i>	<i>Keyword</i>	<i>Vector Expression</i>
three_state_disable	positive_unate ?	cell_rise ?	DELAY	01 RPN -> 0Z PN
		cell_fall ?		01 RPN -> 1Z PN
	negative_unate ?	cell_rise ?		10 RPN -> 0Z PN
		cell_fall ?		10 RPN -> 1Z PN
rising_edge	?	cell_rise	DELAY	01 RPN -> 01 PN
		rise_transition	SLEWRATE	
	?	cell_fall	DELAY	01 RPN -> 10 PN
		fall_transition	SLEWRATE	
falling_edge	?	cell_rise	DELAY	10 RPN -> 01 PN
		rise_transition	SLEWRATE	
	?	cell_fall	DELAY	10 RPN -> 10 PN
		fall_transition	SLEWRATE	
preset	positive_unate	cell_rise	DELAY	01 RPN -> 01 PN
		rise_transition	SLEWRATE	
	negative_unate	cell_rise	DELAY	10 RPN -> 01 PN
		rise_transition	SLEWRATE	
clear	positive_unate	cell_fall	DELAY	01 RPN -> 10 PN
		fall_transition	SLEWRATE	
	negative_unate	cell_fall	DELAY	10 RPN -> 10 PN
		fall_transition	SLEWRATE	

FIGURE 3. Description of delay and slew measurements in ALF

```

VECTOR (VectorExpression) {
  /* ALF_TimingModel */
  DELAY {
    FROM { PIN = RelatedPinName ; }
    TO { PIN = PinName ; }
    /* ALF_data */
  }
  SLEWRATE {
    PIN = PinName ;
    /* ALF_data */
  }
}

```

TABLE 3. Mapping of liberty and ALF constructs for retain, delay, and slew measurements

liberty construct			ALF construct PN = Pin Name, RPN = Related Pin Name	
<i>Timing Type</i>	<i>Timing Sense</i>	<i>Model Keyword</i>	<i>Keyword</i>	<i>Vector Expression</i>
?	positive_unate ?	retaining_rise	RETAIN	01 RPN -> 0* PN -> *1 PN
		retain_rise_slew	SLEWRATE	
		cell_rise	DELAY	
		rise_transition	SLEWRATE	
		retaining_fall	RETAIN	10 RPN -> 1* PN -> *0 PN
		retain_fall_slew	SLEWRATE	
		cell_fall	RETAIN	
		fall_transition	SLEWRATE	
	negative_unate ?	retaining_rise	DELAY	10 RPN -> 0* PN -> *1 PN
		retain_rise_slew	SLEWRATE	
		cell_rise	DELAY	
		rise_transition	SLEWRATE	
		retaining_fall	DELAY	01 RPN -> 1* PN -> *0 PN
		retain_fall_slew	SLEWRATE	
		cell_fall	DELAY	
		fall_transition	SLEWRATE	
	non_unate ?	retaining_rise	DELAY	?! RPN -> 0* PN -> *1 PN
		retain_rise_slew	SLEWRATE	
		cell_rise	DELAY	
		rise_transition	SLEWRATE	
		retaining_fall	DELAY	?! RPN -> 1* PN -> *0 PN
		retain_fall_slew	SLEWRATE	
		cell_fall	DELAY	
		fall_transition	SLEWRATE	

FIGURE 4. Description of retain, delay, and slew measurements in ALF

```

VECTOR (VectorExpression) {
/* ALF_TimingModel */
  RETAIN {
    FROM { PIN = RelatedPinName ; }
    TO { PIN = PinName ; EDGE_NUMBER = 0 ; }
    /* ALF_data */
  }
  SLEWRATE SlewForEdgeNumber0 {
    PIN = PinName ; EDGE_NUMBER = 0 ;
    /* ALF_data */
  }
  DELAY {
    FROM { PIN = RelatedPinName ; }
    TO { PIN = PinName ; EDGE_NUMBER = 1 ; }
    /* ALF_data */
  }
  SLEWRATE SlewForEdgeNumber1 {
    PIN = PinName ; EDGE_NUMBER = 1 ;
    /* ALF_data */
  }
}

```

TABLE 4. Mapping of liberty and ALF constructs for independent setup, hold, recovery, removal

liberty construct			ALF construct PN = Pin Name, RPN = Related Pin Name	
<i>Timing Type</i>	<i>Timing Sense</i>	<i>Model Keyword</i>	<i>Keyword</i>	<i>Vector Expression</i>
setup_rising	?	rise_constraint	SETUP	01 PN -> 01 RPN
		fall_constraint		10 PN -> 01 RPN
setup_falling	?	rise_constraint		01 PN -> 10 RPN
		fall_constraint		10 PN -> 10 RPN
hold_rising	?	rise_constraint	HOLD	01 RPN -> 01 PN
		fall_constraint		01 RPN -> 10 PN
hold_falling	?	rise_constraint		10 RPN -> 01 PN
		fall_constraint		10 RPN -> 10 PN
recovery_rising	?	rise_constraint ?	RECOVERY	01 PN -> 01 RPN
		fall_constraint ?		10 PN -> 01 RPN
recovery_falling	?	rise_constraint ?		01 PN -> 10 RPN
		fall_constraint ?		10 PN -> 10 RPN

TABLE 4. Mapping of liberty and ALF constructs for independent setup, hold, recovery, removal

liberty construct			ALF construct PN = Pin Name, RPN = Related Pin Name	
<i>Timing Type</i>	<i>Timing Sense</i>	<i>Model Keyword</i>	<i>Keyword</i>	<i>Vector Expression</i>
removal_rising	?	rise_constraint ?	REMOVAL	01 RPN -> 01 PN
		fall_constraint ?		01 RPN -> 10 PN
removal_falling	?	rise_constraint ?		10 RPN -> 01 PN
		fall_constraint ?		10 RPN -> 10 PN
non_seq_setup_rising		intrinsic_rise ?	SETUP	01 PN -> 01 RPN
		intrinsic_fall ?		10 PN -> 01 RPN
non_seq_setup_falling		intrinsic_rise ?		01 PN -> 10 RPN
		intrinsic_fall ?		10 PN -> 10 RPN
non_seq_hold_rising		intrinsic_rise ?	HOLD	01 RPN -> 01 PN
		intrinsic_fall ?		01 RPN -> 10 PN
non_seq_hold_falling		intrinsic_rise ?		10 RPN -> 01 PN
		intrinsic_fall ?		10 RPN -> 10 PN

FIGURE 5. Description of independent setup and hold in ALF

```

VECTOR (VectorExpression) {
/* ALF_TimingModel */
    SETUP {
        FROM { PIN = PinName ; }
        TO { PIN = RelatedPinName ; }
        /* ALF_data */
    }
}
VECTOR (VectorExpression) {
/* ALF_TimingModel */
    HOLD {
        FROM { PIN = RelatedPinName ; }
        TO { PIN = PinName ; }
        /* ALF_data */
    }
}

```

FIGURE 6. Description of independent recovery and removal in ALF

```

VECTOR (VectorExpression) {
/* ALF_TimingModel */
  RECOVERY {
    FROM { PIN = PinName ; }
    TO { PIN = RelatedPinName ; }
    /* ALF_data */
  }
}
VECTOR (VectorExpression) {
/* ALF_TimingModel */
  REMOVAL {
    FROM { PIN = RelatedPinName ; }
    TO { PIN = PinName ; }
    /* ALF_data */
  }
}

```

TABLE 5. Mapping of liberty and ALF for co-dependent setup, hold, recovery, and removal

liberty construct			ALF construct PN = Pin Name, RPN = Related Pin Name	
<i>Timing Type</i>	<i>Timing Sense</i>	<i>Model Keyword</i>	<i>Keyword</i>	<i>Vector Expression</i>
setup_rising	?	rise_constraint	SETUP	01 PN -> 01 RPN -> 10 PN
hold_rising	?	fall_constraint	HOLD	
setup_rising	?	fall_constraint	SETUP	10 PN -> 01 RPN -> 01 PN
hold_rising	?	rise_constraint	HOLD	
setup_falling	?	rise_constraint	SETUP	01 PN -> 10 RPN -> 10 PN
hold_falling	?	fall_constraint	HOLD	
setup_falling	?	fall_constraint	SETUP	10 PN -> 10 RPN -> 01 PN
hold_falling	?	rise_constraint	HOLD	
recovery_rising	?	rise_constraint ?	RECOVERY	01 PN <&> 01 RPN
removal_rising	?	rise_constraint ?	REMOVAL	
recovery_rising	?	fall_constraint ?	RECOVERY	10 PN <&> 01 RPN
removal_rising	?	fall_constraint ?	REMOVAL	
recovery_falling	?	rise_constraint ?	RECOVERY	01PN <&> 10 RPN
removal_falling	?	rise_constraint ?	REMOVAL	
recovery_falling	?	fall_constraint ?	RECOVERY	10 PN <&> 10 RPN
removal_falling	?	fall_constraint ?	REMOVAL	

FIGURE 7. Description of co-dependent setup and hold in ALF

```

VECTOR (VectorExpression) {
/* ALF_TimingModel */
  SETUP {
    FROM { PIN = PinName ; EDGE_NUMBER = 0 ; }
    TO { PIN = RelatedPinName ; }
    /* ALF_data */
  }
  HOLD {
    FROM { PIN = RelatedPinName ; }
    TO { PIN = PinName ; EDGE_NUMBER = 1 ; }
    /* ALF_data */
  }
}

```

FIGURE 8. Description of co-dependent recovery and removal in ALF

```

VECTOR (VectorExpression) {
/* ALF_TimingModel */
  RECOVERY {
    FROM { PIN = PinName ; }
    TO { PIN = RelatedPinName ; }
    /* ALF_data */
  }
  REMOVAL {
    FROM { PIN = RelatedPinName ; }
    TO { PIN = PinName ; }
    /* ALF_data */
  }
}

```

TABLE 6. Mapping of liberty and ALF for setup and hold with nochange constraint

liberty construct			ALF construct PN = Pin Name, RPN = Related Pin Name	
<i>Timing Type</i>	<i>Timing Sense</i>	<i>Model Keyword</i>	<i>Keyword</i>	<i>Vector Expression</i>
nochange_high_high		rise_constraint	SETUP	01 PN -> 01 RPN
		fall_constraint	HOLD	-> 10 RPN -> 10 PN
nochange_high_low		rise_constraint	SETUP	01 PN -> 10 RPN
		fall_constraint	HOLD	-> 01 RPN -> 10 PN
nochange_low_high		fall_constraint	SETUP	10 PN -> 01 RPN
		rise_constraint	HOLD	-> 10 RPN -> 01 PN

TABLE 6. Mapping of liberty and ALF for setup and hold with nochange constraint

liberty construct			ALF construct PN = Pin Name, RPN = Related Pin Name	
<i>Timing Type</i>	<i>Timing Sense</i>	<i>Model Keyword</i>	<i>Keyword</i>	<i>Vector Expression</i>
nochange_low_low		fall_constraint	SETUP	10 PN -> 10 RPN
		rise_constraint	HOLD	-> 01 RPN -> 01 PN

FIGURE 9. Description of setup and hold with nochange constraint in ALF

```

VECTOR (VectorExpression) {
/* ALF_TimingModel */
  SETUP {
    FROM { PIN = PinName ; EDGE_NUMBER = 0 ; }
    TO { PIN = RelatedPinName ; EDGE_NUMBER = 0 ; }
    /* ALF_data */
  }
  HOLD {
    FROM { PIN = RelatedPinName ; EDGE_NUMBER = 1 ; }
    TO { PIN = PinName ; EDGE_NUMBER = 1 ; }
    /* ALF_data */
  }
  NOCHANGE {
    FROM { PIN = RelatedPinName ; EDGE_NUMBER = 0 ; }
    TO { PIN = RelatedPinName ; EDGE_NUMBER = 1 ; }
  }
}

```

TABLE 7. Mapping of liberty and ALF constructs for maximum skew constraint

liberty construct			ALF construct PN = Pin Name, RPN = Related Pin Name	
<i>Timing Type</i>	<i>Timing Sense</i>	<i>Model Keyword</i>	<i>Keyword</i>	<i>Vector Expression</i>
skew_rising	?	intrinsic_rise ?	SKEW	01 RPN -> 01 PN
		intrinsic_fall ?		01 RPN -> 10 PN
skew_falling	?	intrinsic_rise ?		10 RPN -> 01 PN
		intrinsic_fall ?		10 RPN -> 10 PN

FIGURE 10. Description of maximum skew constraint in ALF

```

VECTOR (VectorExpression) {
/* ALF_TimingModel */
  LIMIT {
    SKEW {
      PIN { PinName RelatedPinName } // pin order is irrelevant here
      MAX {
        /* ALF_data */
      }
    }
  }
}

```

TABLE 8. Mapping of liberty and ALF constructs for minimum period and pulsewidth constraints

liberty construct	ALF construct PN = Pin Name, RPN = Related Pin Name		
	Keyword	Vector Expression	Comment
min_period	PERIOD	01 PN	for positive edge triggered clock
		10 PN	for negative edge triggered clock
min_pulsewidth_high	PULSEWIDTH	01 PN -> 10 PN	01 PN -> 10 PN
min_pulsewidth_low		10 PN -> 01 PN	10 PN -> 01 PN

FIGURE 11. Description of minimum period constraint in ALF

```

VECTOR (VectorExpression) {
/* ALF_TimingModel */
  LIMIT {
    PERIOD {
      MIN { /* ALF_data */ }
    }
  }
}

```

FIGURE 12. Description of minimum pulsewidth constraint in ALF

```

VECTOR (VectorExpression) {
/* ALF_TimingModel */
  LIMIT {
    PULSEWIDTH {
      PIN = PinName ;
      MIN { /* ALF_data */ }
    }
  }
}

```

1.2 Threshold definitions

The thresholds for delay and slew measurements in liberty are normalized values between 0 and 100, to be interpreted as percentage values. The corresponding thresholds in ALF are normalized values between 0 and 1. Therefore, the conversion involves either dividing liberty data by 100 or multiplying ALF data by 100.

FIGURE 13. Liberty description of library threshold definitions

```

/* liberty */
library (LibraryName) {
  input_threshold_pct_rise : InputThresholdPctRise ;
  input_threshold_pct_fall : InputThresholdPctFall ;
  output_threshold_pct_rise : OutputThresholdPctRise ;
  output_threshold_pct_fall : OutputThresholdPctFall ;
  slew_lower_threshold_pct_rise : SlewLowerThresholdPctRise ;
  slew_upper_threshold_pct_rise : SlewUpperThresholdPctRise ;
  slew_upper_threshold_pct_fall : SlewUpperThresholdPctFall ;
  slew_lower_threshold_pct_fall : SlewLowerThresholdPctFall ;
}

```

FIGURE 14. ALF description of library threshold definitions

```

/* ALF */
LIBRARY LibraryName {
  DELAY {
    FROM {
      THRESHOLD {
        RISE = InputThresholdRise ;
        FALL = InputThresholdFall ;
      }
    }
    TO {
      THRESHOLD {
        RISE = OutputThresholdRise ;
        FALL = OutputThresholdFall ;
      }
    }
  }
  SLEWRATE {
    FROM {
      THRESHOLD {
        RISE = SlewLowerThresholdRise ;
        FALL = SlewUpperThresholdFall ;
      }
    }
    TO {
      THRESHOLD {
        RISE = SlewUpperThresholdRise ;
        FALL = SlewLowerThresholdFall ;
      }
    }
  }
}

```

1.3 Conditional timing arcs

The *existence condition* for a timing arc is the necessary and sufficient condition for a timing arc to be activated. A *value condition* is a sufficient condition.

Mathematically, the existence condition can be expressed as a boolean expression in a sum-of-product form.

For example, a timing arc from input A to output Y can be activated, if the existence condition ($E1 | E2$) is satisfied, where E1 and E2 are side inputs. The sum-of-product form of the existence condition reads as follows:

$$E1 \mid E2 = E1 \ \& \ E2 \mid E1 \ \& \ !E2 \mid !E1 \ \& \ E2$$

The delay from A to Y depends possibly on the state of E1 and E2. The value condition is a particular state for which a particular value applies. It can be either (E1&E2) or (E1&!E2) or (!E1&E2).

In liberty, the *value condition* is expressed in a “when” statement. In ALF, the value condition is expressed as a co-factor within the vector expression.

In liberty, the *existence condition* can not be described explicitly. However, the existence condition can be inferred either by evaluation of the “function” statement or by combining all the “when” statements of all timing groups with same pin, same related pin, same timing_type and same timing_sense. The same inference can be applied to ALF. However, ALF supports also an explicit statement for existence condition.

FIGURE 15. Conditional timing and existence condition example in liberty and ALF

<pre> /* liberty */ pin(Y) { timing() { timing_type : combinational; timing_sense : positive_unate; related_pin : "A"; when : "E1&E2"; cell_rise ... rise_transition ... } timing() { timing_type : combinational; timing_sense : positive_unate; related_pin : "A"; when : "E1&!E2"; cell_rise ... rise_transition ... } timing() { timing_type : combinational; timing_sense : positive_unate; related_pin : "A"; when : "!E1&E2"; cell_rise ... rise_transition ... } } /* inferred existence condition: E1&E2 E1&!E2 !E1&E2 */ </pre>	<pre> /* ALF */ VECTOR ((01 A -> 01 Y)&(E1&E2)) { EXISTENCE_CONDITION = E1&E2 E1&!E2 !E1&E2 ; DELAY ... SLEWRATE ... } VECTOR ((01 A -> 01 Y)&(E1&!E2)) { EXISTENCE_CONDITION = E1&E2 E1&!E2 !E1&E2 ; DELAY ... SLEWRATE ... } VECTOR ((01 A -> 01 Y)&(!E1&E2)) { EXISTENCE_CONDITION = E1&E2 E1&!E2 !E1&E2 ; DELAY ... SLEWRATE ... } </pre>
--	--

A “when_start” and a “when_end” statement in liberty means that the condition is checked at the time of the FromPin event and the ToPin event, respectively.

In ALF, these conditions are described as co-factors in the vector expression.

FIGURE 16. Timing with start and end condition in liberty and ALF

```

/* liberty */                                /* ALF */
pin(Y) {
  timing() {
    timing_type : combinational;
    timing_sense : positive_unate;
    related_pin : "A";
    when_start : "E1";
    when_end : "E2";
    cell_rise ...
    rise_transition ...
  }
}

```

```

VECTOR
((01 A) & E1 ~> (01 Y) & E2) {
  DELAY ...
  SLEWRATE ...
}

```

2.0 Interoperability with SDF

TABLE 9.

SDF construct	Comment
PATHPULSE	
PATHPULSEPERCENT	
ABSOLUTE	
INCREMENT	
IOPATH	delay measurement, see Table 2 on page 3, Figure 3 on page 4
RETAIN	see Table 3 on page 5, Figure 4 on page 6
COND	
CONDELSE	
PORT	
INTERCONNECT	
NETDELAY	
DEVICE	
SETUP	see Table 4 on page 6, Figure 6 on page 8
HOLD	see Table 4 on page 6, Figure 6 on page 8
SETUPHOLD	see Table 5 on page 8, Figure 7 on page 9
RECOVERY	see Table 4 on page 6, Figure 6 on page 8
REMOVAL	see Table 4 on page 6, Figure 6 on page 8
RECREM	see Table 5 on page 8, Figure 7 on page 9
SKEW	see Table 7 on page 10, Figure 10 on page 11

TABLE 9.

SDF construct	Comment
BIDIRECTSKEW	
WIDTH	see Table 8 on page 11, Figure 12 on page 12
PERIOD	see Table 8 on page 11, Figure 11 on page 11
NOCHANGE	see Table 6 on page 9, Figure 9 on page 10
SCOND	
CCOND	
LABEL	

Conditions in SDF are expressed in Verilog syntax, which is different from Liberty syntax. Therefore, liberty provides “SDF_cond”, “SDF_cond_start”, “SDF_cond_end” statements, which are basically “when”, “when_start”, “when_end” statements translated into Verilog syntax.

The ALF syntax for conditions closely matches the Verilog syntax. Therefore, “SDF_cond”, “SDF_cond_start”, “SDF_cond_end” are not provided as standard annotations in ALF. However, if desired, they can be defined as library-specific annotations in the following way:

```
KEYWORD SDF_cond = single_value_annotation {
    VALUETYPE = quoted_string;
    CONTEXT = VECTOR;
}
KEYWORD SDF_cond_start = single_value_annotation {
    VALUETYPE = quoted_string;
    CONTEXT = VECTOR;
}
KEYWORD SDF_cond_end = single_value_annotation {
    VALUETYPE = quoted_string;
    CONTEXT = VECTOR;
}
```