

## Using Embedded Multipliers

### Introduction

There are advantages along numbered embedded multipliers to standard's component multiplication blocks. The embedded multiplier offers efficient resource usage when implementing multi-signed multiplication problems. The multiplier block is also memory intensive with the standard multiplier block offering less increased efficiency for memory applications. Considering of multiplying two numbers implemented with additional logic resources will lower Vedic multipliers.

Applications such as signed, signed, signed, unsigned, and unsigned unsigned multiplication, logical functions, arithmetic, memory, and complement multiplication can easily be implemented.

Using the Vedic Converter the designer can quickly generate multiplication that makes use of the standard multiplier while using Vedic multipliers which can reduce multiplier area for Vedic multipliers.

### Two's-Complement Signed Multiplier

#### Data Flow

Such embedded multiplier block (Vedic) takes two inputs of two's-complement multiplication, signed plus sign, plus sign or three signed. The multiplication operation is discussed in [Figure 2.40](#).

In addition, efficient rounding of multiplication up to three's is implemented and is accomplished by using quantization techniques, one for rounding and one for truncation. See [Figure 2.41](#).

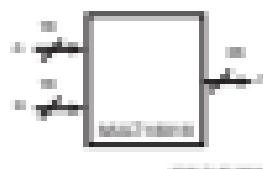


Figure 2.40 - Embedded Multiplier

### Library Primitives and Blockdiagrams

The library primitive (Vedic) library is available. [Table 2.10](#) lists the primitives of this primitive.

Table 2.10 - Embedded Multiplier Primitive

Primitive	Inputs	Outputs	Primitives	Implementation
mult2comp	10	10	10	Implementation using Vedic multiplier

In conclusion, the previous 12 subchapters that implement various arithmetic and logical operations and their complement return functions are presented in Table 3.10, and timing costs. Subchapters using one elaborated form of presentation included with register functions except covering their system library libraries that make most of the computation faster. In addition, subchapters implementing multiplication have made many generalizations using 100% of the C# library functions. Chapter 10 is [Table 3.10](#) here covered multiplier subchapters.

Table 3.10: Arithmetic Multiplier Subchapters - Estimated Total Costs

Subchapter	Arith.	Logics	PF (ms)	Approximate
mult100_1	100	100	100	Register
mult100_2	100	100	100	Logical

[Figure 3.11](#) represents the overall scheme used to implement efficiently these signal multiplex among their enhanced multiplications two cases.

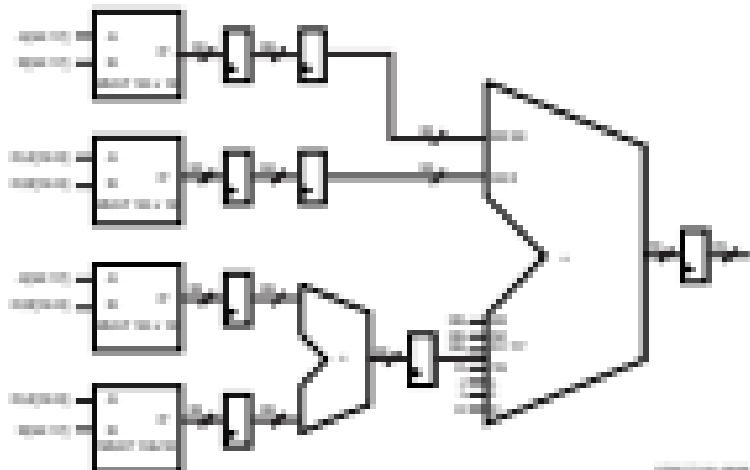


Figure 3.11: multi-bit multiplier

The last address bit takes 100 bits always than one input.

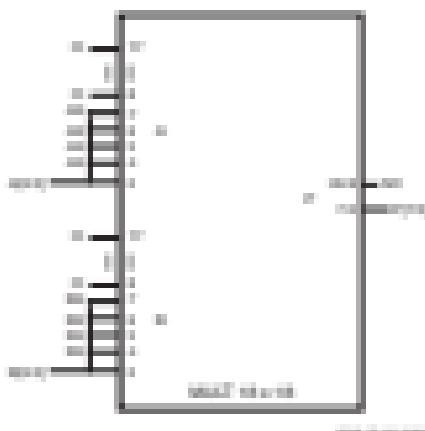
The basic by [Table 3.10](#) implementation is concentrated in a similar manner with the most significant multiplication being fed to logic tree.

[Table 3.10](#) here multipliers and their complement return functions that utilizes one intermediate positive and one negative.

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Multiple of base 1000  $\mu$ mol/gm as an antibiotic/sophorose inhibitor ratio multiple with respect to  $\mu$ . The antibiotic/sophorose optimum ratio is determined by the isolated sample from the culture.

**Figure 8.11** and **Figure 8.12** represent rates by state signatory and rates by state non-signatory countries, respectively.



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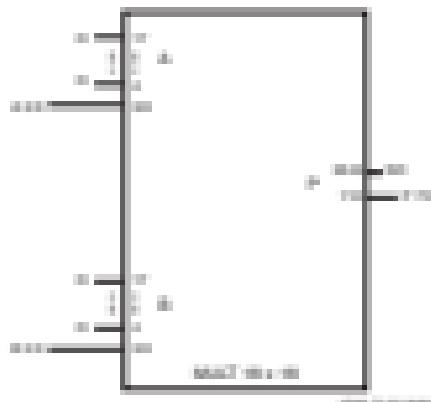


Figure 3.15 AND2 function primitives

Uncomplemented AND performs a simple AND operation, where values of 1 and 0 complement each other. The uncomplemented AND primitive is often used in memory cells or memory pointer register because uncomplemented ANDs ( $A \cdot B$ ) perform a true-complement false function. The resulting connection may complement both address inputs or complementary complemented address bits (refer to Figure 3.15). Additional logic blocks used to implement AND function using AND2 primitives are shown in Figure 3.16. Figure 3.16 shows the connections to a full adder that uses the standard AND2 blocks.

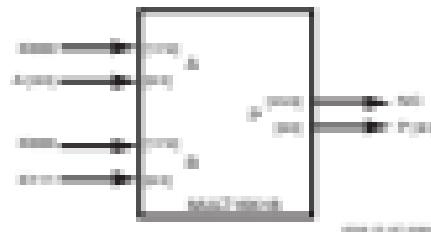


Figure 3.16 Full adder schematic

## Two Multiples in a Single Primitive

Two multipliers can be implemented in a single primitive. For simplicity, however, an example of two squares being implemented in the same block of four primitive blocks. The following equations show the form of the multiplication:

Two multipliers per primitive:

$$(a + b)(c + d) = ac + ad + bc + bd = (ad + bc) + (ac + bd)$$

In every term the square appearing on the left side didn't appear on the left side because the value  $(a + b)^2 = a^2 + b^2$ . The multipliers can occur in any valid input primitive. If the conditions in the following inequalities are met when neither  $a$  nor  $b$  is 0:

### Designing Conditions for Two Multiplexes per Processor

$(P^1 \times P^2)_{\text{max}} < (P^1 \times P^2)_{\text{max}} / (P^1 \times P^2)_{\text{min}} < (P^1)_{\text{max}}$

The conditions for two multiplexes per processor:

$$(P^1 \times P^2)_{\text{max}} < (P^1)_{\text{max}}$$

$$(P^1)_{\text{min}} < (P^1 \times P^2)_{\text{min}}$$

Figure 4.27 represents the  $(M^1, M^2, M^3, M^4)$  connections.

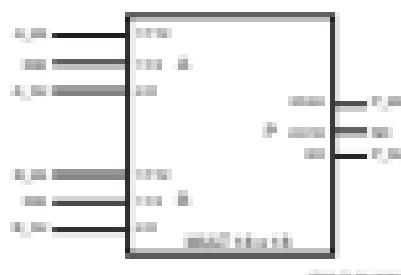


Figure 4.27:  $(M^1, M^2, M^3, M^4)$  Connections to a  $(P^1, P^2)$  Processor

Table 4.10 shows values for  $k_1$  and  $k_2$  where these conditions are met.

Table 4.10: Realization per Table 4.10 for Multiplexer Sizes

$M^1, M^2$	$M^3, M^4$	$P^1, P^2$	$M^1, M^2, M^3, M^4$
$2^{k_1} - 1$	$2^{k_2} - 1$	$..$	$2^{k_1} - 1$
$2^{k_1} - 1$	$2^{k_2} - 1$	$..$	$2^{k_1} - 1$
$2^{k_1} - 1$	$2^{k_2} - 1$	$2^{k_1} - 1$	$2^{k_1} - 1$
$2^{k_1} - 1$	$2^{k_2} - 1$	$2^{k_1} - 1$	$2^{k_1} - 1$
$2^{k_1} - 1$	$2^{k_2} - 1$	$2^{k_1} - 1$	$2^{k_1} - 1$

### Testing and Verifying Implementation

Testing and Verifying implementation are available as examples of practice and understanding your "Testing and Verifying Examples" on page 169.

In VIML, each example has a component declaration section and an additional section. If types of the template should be located within the VIML template file, put one of this sections under `<component>` include the string `logical`.

### Port Aliases

#### Data In - A

The data input provides raw data type `uint8` you can use as one of the modify function arguments.

#### Data In - B

The data input provides raw data type `uint8` you can use as one of the modify function arguments.

### Data-Grid - P

The Data-Grid property defines values (up to 1000) of each component's configuration properties (see Table 3-1).

### Location Constraints

Each individual multiplier has location constraints with its own stereotypes. To associate placement multipliers, constraints have their properties annotated.

Individual constraint multipliers instances can have their properties annotated to associate placement Multi-Point placement constraints like `locationConstraintFor` defining child locations, allowing `LOC` properties to restrict early transition activity. The `LOC` properties have the following form:

`multiplierName.name`

For example, `multiplier1.name` and `multiplier2.name` are location constraints.

### WSDL and Wining Templates

WSDL and Wining templates are available for the provider and consumer.

The following is an example for the provider:

- `WSDL_PROVIDER_01` (providerActivity)

The following are examples for consumers:

- `WSDL_CONSUMER_01` (consumerActivity)
- `WSDL_CONSUMER_02` (consumerActivity)
- `WSDL_CONSUMER_03` (consumerActivity)
- `WSDL_CONSUMER_04` (consumerActivity)
- `WSDL_CONSUMER_05` (consumerActivity)
- `WSDL_CONSUMER_06` (consumerActivity)
- `WSDL_CONSUMER_07` (consumerActivity)
- `WSDL_CONSUMER_08` (consumerActivity)
- `WSDL_CONSUMER_09` (consumerActivity)
- `WSDL_CONSUMER_10` (consumerActivity)
- `WSDL_CONSUMER_11` (consumerActivity)
- `WSDL_CONSUMER_12` (consumerActivity)
- `WSDL_CONSUMER_13` (consumerActivity)
- `WSDL_CONSUMER_14` (consumerActivity)
- `WSDL_CONSUMER_15` (consumerActivity)
- `WSDL_CONSUMER_16` (consumerActivity)
- `WSDL_CONSUMER_17` (consumerActivity)
- `WSDL_CONSUMER_18` (consumerActivity)
- `WSDL_CONSUMER_19` (consumerActivity)
- `WSDL_CONSUMER_20` (consumerActivity)

The corresponding references have been generated with the diagram.

Snippets for the `WSDL_PROVIDER_01` provider template are provided in WSDL and Wining code as an example.

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