## Methods for generating a list of primes

## Method 1:

a.) First, check if $\mathrm{n}=2$. If it is, n is prime. Otherwise, proceed to step b .
b.) Check to see if each integer k is a divisor of n where $2<\mathrm{k}<\mathrm{n}$. If none of the values of k are divisors of $n$, then $n$ is prime

Method 2:
a.) First, check if $\mathrm{n}=2$. If it is, n is prime. Otherwise, proceed to step b.
b.) Check to see if each integer k is a divisor of n where $2<\mathrm{k} \leq \sqrt{n}$. If none of the values of k are divisors of $n$, then $n$ is prime

## Method 3:

a.) First, check if $\mathrm{n}=2$. If it is, n is prime. Otherwise, proceed to step b .
b.) Check if n is divisible by 2. If so, n is not prime. Otherwise, proceed to step c.
c.) Check to see if each odd integer $k$ is a divisor of $n$ where $2<k \leq \sqrt{n}$. If none of the values of k are divisors of n , then n is prime.

## Method 4:

a.) First, check if $\mathrm{n}=2$. If it is, n is prime. Otherwise, proceed to step b .
b.) Check to see if each prime integer $k$ is a divisor of $n$ where $2<k \leq \sqrt{n}$. If none of the values of $k$ are divisors of $n$, then $n$ is prime.

## Exercise:

Sketch out the code for each of these methods to determine the number of times a specific operation occurs. Use the table below to compare the number of types of operations (compares, division checks, assignments, counter ( k ) modifications, and jumps) of the different methods.

|  | compares | division checks | assignments | counter modifications | jumps | total |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Method 1 |  |  |  |  |  |  |
| Method 2 |  |  |  |  |  |  |
| Method 3 |  |  |  |  |  |  |
| Method 4 |  |  |  |  |  |  |

Using your answers in the table above, identify the rate at which the complexity of each method grows with different values of $n$.

